Name

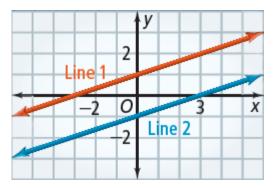
Graphing Absolute Value Functions

OBJECTIVE: I can graph an absolute value function to translate the graph of an absolute value function



5-8

Write the equations of Line 1 and Line 2. How can you transform the equation of Line 1 into the equation of Line 2? How can you slide Line 1 in the coordinate plane so that it becomes Line 2? Explain.



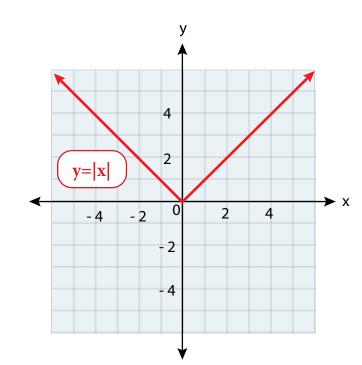
Essential Understanding

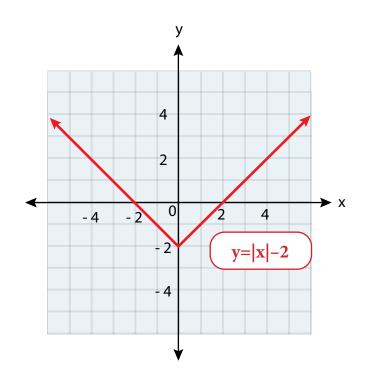
Essential Understanding You can quickly graph absolute value equations by shifting the graph of y = |x|.



Example #1 Describing Translations

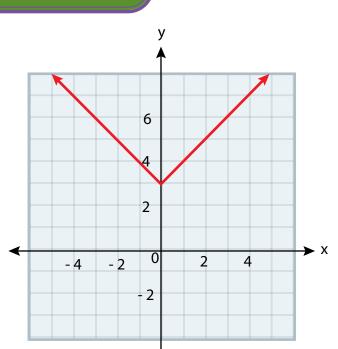
Below are the graphs of y = |x| and y = |x| - 2. How are the graphs related?

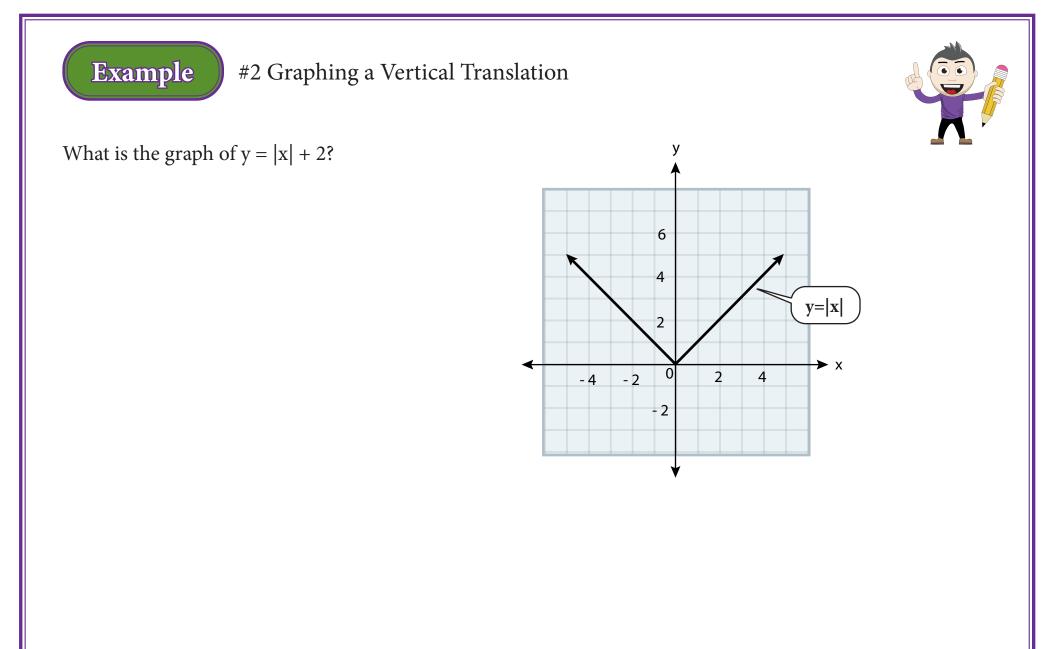




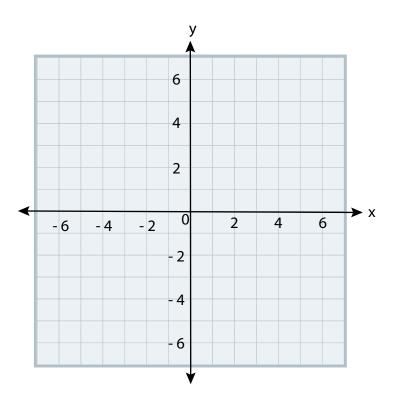


1. How is the graph at the right related to the graph of y = |x|?



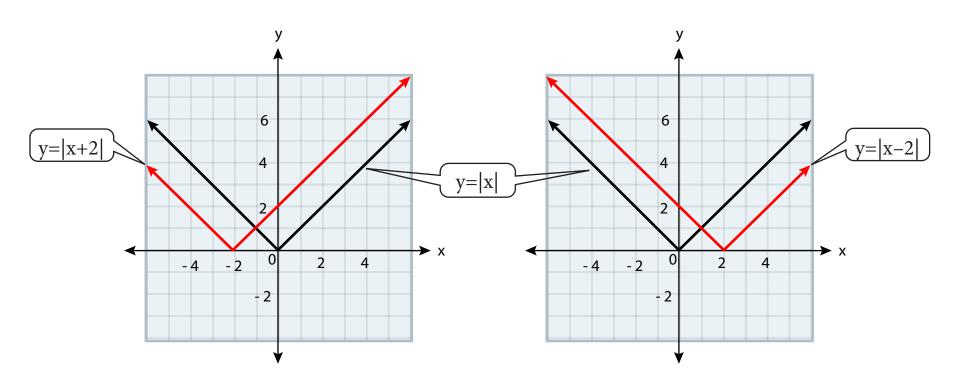






Concept Understanding

The graphs below show what happens when you graph y = |x + 2| and y = |x - 2|.

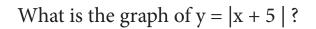


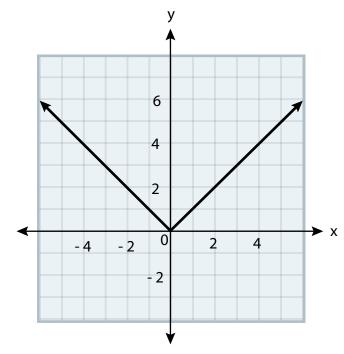
For a positive number h, y = |x + h| translates the graph of y = |x| left h units, and y = |x - h| translates the graph of y = |x| right h units.

Example

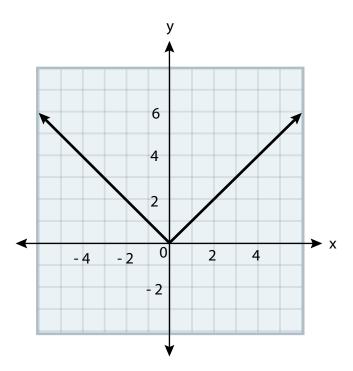
#3 Graphing a Horizontal Translation









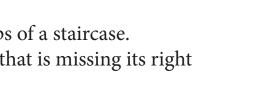


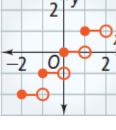
Concept Understanding

The absolute value function is an example of a piecewise function. A piecewise function is a function that has different rules for different parts of its domain. For example, when $x \ge 0$, |x| = x. When x < 0, |x| = -x.

Another example of a piecewise function is a step function. A step function is a function that pairs every number in an interval with a single value.

The graph of a step function can look like the steps of a staircase. Each piece of the graph is a horizontal s segment that is missing its right endpoint, indicated by an open circle.

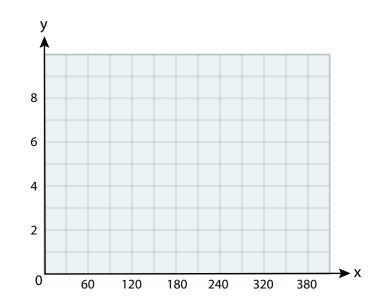






Example #4 Graphing a Step Function

Transportation A school will charter buses so that the student body can attend a football game. Each bus holds a maximum of 60 students. Make a graph that models the relationship between the number of students x that go to the game by bus and the number of buses y that are needed.



4. Make a graph that models the relationship between the number of students x that go to the game by bus and the number of buses y that are needed if each bus holds a maximum of 50 students.

